| $\lambda = \frac{v}{f}$ | Wavelength of a signal, given v (velocity) and f (frequency). For radio waves, $v = 3 \ge 10^8$ m/s. |
|---|--|
| $BW = f_H - f_L$ | The definition of bandwidth. |
| $P_{N} = KTBW$ | Available noise power at absolute temperature T , over bandwidth BW . K=1.38 x 10 ⁻²³ J/K (K value is given on tests). |
| $V_{N} = \sqrt{4KTBWR}$ | Open-circuit noise voltage from an equivalent noise resistance R at absolute temperature T over bandwidth BW . |
| K = C + 273 | Celsius to Kelvin temperature conversion |
| $C = \frac{5}{9}(F - 32)$ | Fahrenheit to Celsius conversion |
| $SNR = \frac{P_s}{P_N}$ | Definition of power signal-to-noise ratio, in W/W |
| $SNR = \left(\frac{V_s}{V_N}\right)^2$ | Calculation of the power signal-to-noise ratio if the signal and noise <u>voltages</u> are known. |
| $SNR_{(dB)} = 10 \log SNR$ | The S/N ratio expressed in dB |
| $SNR_{(dB)} = 20 \log \left(\frac{V_s}{V_N} \right)$ | Decibel S/N ratio when $V_{\rm S}$ and $V_{\rm N}$ are known. The two voltages must be measured at the same point in the circuit. |
| $NF = dBSNR_{IN} - dBSNR_{OUT}$ | Noise figure of a two-port network (such as an amplifier), given the decibel S/N readings at the input and output. Ideal NF is 0 dB. |
| $f_{USB} = f_C + f_m$ $f_{LSB} = f_C - f_m$ | Frequency of the upper and lower sideband in an AM signal, given carrier and information frequencies |
| $BW = 2f_{m(MAX)}$ | Calculated bandwidth of an AM signal |
| $V_{USB} = V_{LSB} = \frac{V_m}{2}$ | Voltage of upper and lower sidebands in an AM signal |
| $m = \frac{V_{MAX} - V_{MIN}}{V_{MAX} + V_{MIN}}$ | Measurement of AM modulation index in the time domain |
| $m = \frac{V_m}{V_C}$ | Definition of AM modulation index in the frequency domain |
| $P_T = P_{LSB} + P_C + P_{USB}$ | Conservation of energy; total power in a modulated signal |
| $P_T = P_C \left(1 + \frac{m^2}{2} \right)$ | Total power in an AM signal if carrier power and modulation index are known. |
| $\sum P_{SIDE} = P_C \frac{m^2}{2} = P_{LSB} + P_{USB}$ | Total sideband (information) power in an AM signal, given carrier power and modulation index. This equation is the right-hand distributed term from the total power equation above. |
| $\eta = \frac{P_I}{P_T}$ | Efficiency of an information system; P_I is the information power, P_T is the total transmitted power. Maximum of 33.3% in AM. |